

U-II 2008

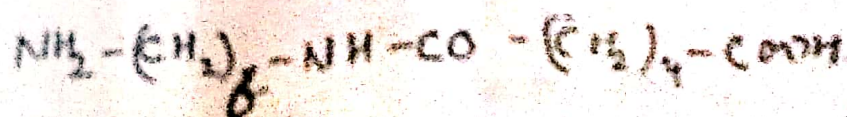
Condensation / Step polymerisation

- ① Poly condensation polymerisation ✓
- ② Poly addition polymerisation ✓
- ③ Ring opening polymerisation ✓

① Poly condensation polymerisation → when the monomers ~~contains~~ contain active functional groups (generally two) which react together with the elimination of a simple molecule such as H_2O , NH_3 then the product formed is called condensation polymer and this phenomenon known as Poly condensation polymerisation.

Ex: Nylon 66:

which is formed by Hexamethylene diamine and adipic acid.

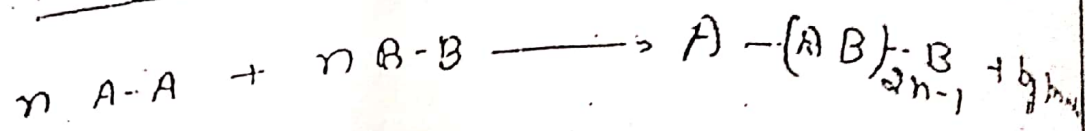


formed product ^{can} react further either amine or acid because both side groups are free.

then last product is Nylon 66.

Kinetics of Polycondensation

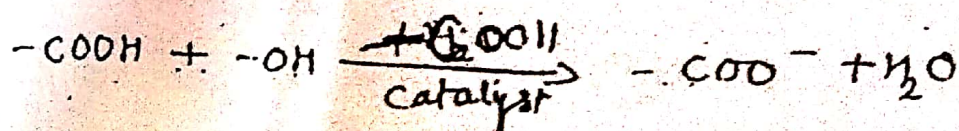
In polycondensation reaction the reactivity of functional group is independent of the molecular size.



To derive a mathematical expression we take an example - the synthesis of polyester from a dicarboxylic acid & a diol.

① Self-catalysed esterification

This reaction is catalysed by mineral acids, but in the absence of mineral acid (such as H_2SO_4, HCl) the reactant carboxylic acid itself acts as catalyst for each step of reaction b/w hydroxyl group & $-COOH$ group.



⇒ The rate of the reaction can be measured by measuring the rate of disappearance of the carboxylic group.

$$-\frac{d[\text{COOH}]}{dt} = k [\text{COOH}]^2 [\text{OH}]$$

k = rate constant (considering equimolar, presence of -COOH & -OH)

c = concentration of each group at a given point.

$$-\frac{dc}{dt} = k [c]^2 [c]$$

$$-\frac{dc}{dt} = kc^3$$

on integrating within the limits of c_0 to c we get

$$-\int_{c_0}^c \frac{dc}{c^3} = \int_0^t k \cdot dt \quad \text{--- (1)}$$

$$2kt = \frac{1}{c^2} - \frac{1}{c_0^2}$$

on integration eq (1)

where c_0 : initial concn.

$$2kt = \frac{1}{c^2} - \text{constant} \quad \text{--- (2)}$$

extent of fraction = P

i.e. fraction of a given functional group that has reacted at time t then

$$2kt = \frac{1}{c^2} - \text{constant}$$

$$\frac{c_0 - c}{c_0} = P$$

$$1 - \frac{C}{C_0} = P$$

$$1 - P = \frac{C}{C_0}$$

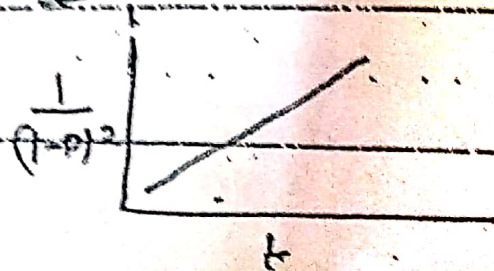
$$C = C_0 (1 - P) \quad \text{--- (3)}$$

Combining eq (2) & (3)

$$2Kt = \frac{1}{[C_0^2 (1 - P)^2]} - \text{Constant} \frac{1}{[C_0]^2}$$

$$2C_0^2 Kt = \frac{1}{(1 - P)^2} - \text{Constant} \quad \text{--- (4)}$$

This implies that a graphical plot of $\frac{1}{(1 - P)^2}$ vs t must be linear.



for a simple esterification reaction, which proceeds without any side reaction, the number average of polymerisation may be related to P extent of polymerisation.

$$D_{Pn} = \frac{1}{1 - P} = \frac{[C_0]}{[C]}$$

$$\frac{D^2}{D_p} = 2K[C_0]^2 + 1$$

② Polyesterification using strong acids as catalyst

In this case the rate of disappearance of COOH groups can be then be expressed as

$$-\frac{d(\text{COOH})}{dt} = k(\text{COOH})(\text{OH})$$

$$-\frac{dc}{dt} = k c^2$$

$$c = c_0(1-p)$$

$$c_0 k t = \frac{1}{(1-p)}$$

② Poly addition polymerisation $\Rightarrow$

Poly addition polymerisation is brought about by the migration of atoms from one monomer unit to another or to the intermediate product.

for exa. styrene can be polymerised in the presence of perchloric acid as follows.

